Extracting physical quantities from cosmic ray and gamma ray observations



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What we have to explain about CRs:

Energy density

Energy spectrum

Chemical composition

🖸 Isotropy

Stability in time

Spatial homogeneity (?)

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Are CRs universal?

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We play the same game with the Large Magellanic Cloud. Total gas mass -> expected gamma rays

We observe less gammas than expected!

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-> in the Galaxy

-> Galactic up to the knee and above

-> many sources

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Cosmic Ray composition

Cosmic Ray composition: spallation

Spallation: production of light elements as fragmentation products of the interaction of high energy particles with cold matter.

The anomaly is explained if (~ GeV) CRs transverse $~\lambda~pprox~5~{
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Cosmic Ray composition: spallation

Spallation: production of light elements as fragmentation products of the interaction of high energy particles with cold matter.

The anomaly is explained if (~ GeV) CRs transverse $\lambda \approx 5 \text{ g/cm}^2$ Assuming propagation in the galactic disk: $l_s = \frac{\lambda}{\varrho_{ISM}} \approx 1 \text{ Mpc}$ $\int_{\text{much larger than the size of the disk!!!}}$

> CRs don't go straight but are confined in the disk -> diffusive behavior -> isotropy!

CRs don't go straight: consequences

(1) We cannot doCR astronomy

-> difficult to identify sources

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Cosmic Ray power in the Galaxy

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Cosmic Ray power in the Galaxy CR energy density total CR energy in the disk MW disk volume

Is this correct?

CRs interact with the gas -> $p+p \rightarrow p+p+\pi^0$

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$$t_{pp} = (n_{gas} \sigma_{pp} c k)^{-1}$$

$$(1 \times 10^{-26} \text{ cm}^2 - 0.45)$$

Is this correct?

CRs interact with the gas -> $p+p \rightarrow p+p+\pi^0$

Should we use this equation instead?

We can safely neglect CR energy losses

What we have to explain about CRs:

M Energy density -> power of CR sources 3×10^{40} erg/s

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What we have to explain about CRs:

Spallation measurements tell us that cosmic rays follow tortuous paths before escaping the Galaxy. Why?

The galactic magnetic field or, better, **irregularities in the Galactic magnetic field** are responsible for the diffusive propagation of cosmic rays.

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(Oversimplified picture)

magnetized cloudlets in an unmagnetized background

the particle energy is unchanged (Lorentz force)

 λ -> mean free path

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 $\tau_c = \frac{\lambda}{c} \; \twoheadrightarrow \; \text{collision time}$

 $\begin{array}{ll} \lambda & \rightarrow & \text{mean free path} \\ \tau_c = \frac{\lambda}{c} & \rightarrow & \text{collision time} \\ N = \frac{t}{\tau_c} & \rightarrow & \text{\# collisions} \\ & \text{after time t} \end{array}$

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diffusion length -> l_i

$$d_d = \lambda \sqrt{N}$$

random walk

It is convenient to define the quantity $\ D=\lambda \ c$ called diffusion coefficient

diffusive propagation ->
$$l_d = \sqrt{D t} \propto \sqrt{t}$$

straight line propagation -> $l_{sl} = c t \propto t$

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Spallation measurements allow us to measure the average diffusion coefficient in the Galaxy

$$l_{disk} = \sqrt{D \ t_{disk}} \longrightarrow D = \frac{l_{disk}^2}{t_{disk}} = 10^{28} \ \mathrm{cm}^2/\mathrm{s}$$

$$\int_{3 \text{ Myr (from spallation)}} \mathbb{O}(10 \ \text{GeV})$$

CR diffusion is energy dependent

Spallation measurements at different energies -> $t_{disk} \propto E^{-0.6}$

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We can now constrain the CR injection spectrum in the Galaxy

 $0 = \underbrace{dN}_{(E)} = Q_{CR}(E) - \frac{N_{CR}(E)}{t_{disk}}$ escape rate stability in time CRs injected from sources in the disk $Q_{CR}(E) = \frac{N_{CR}(E)}{t_{disk}} \propto N_{CR}(E) D(E) \propto \underbrace{E^{-2.1}}_{\text{measured} \rightarrow E^{-2.7}}$

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- -> power of CR sources 3×10^{40} erg/s
- -> sources inject spectra close to E⁻²
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 -> confinement time -> 10 Myrs
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- -> in the Galaxy
 - -> Galactic up to the knee and above
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from gamma ray observations

A remarkable coincidence

Total CR power in the Galaxy ->

 $P_{CR} = 3 \times 10^{40} \text{ erg/s}$

A SuperNova is the explosion of a massive star that releases ~ 10^{51} ergs in form of kinetic energy. In the Galaxy the observed supernova rate is of the order of 1/30 - 1/100 yr⁻¹.

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Total CR power in the Galaxy ->

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A SuperNova is the explosion of a massive star that releases $\sim 10^{51}$ ergs in form of kinetic energy. In the Galaxy the observed supernova rate is of the order of 1/30 - 1/100 yr⁻¹.

Total SN power in the Galaxy ->

 $P_{SN} = 3 \times 10^{41} \text{ erg/s}$

SuperNovae alone could maintain the CR population provided that about 10% of their kinetic energy is somehow converted into CRs

The SN hypothesis for CR origin

SuperNovae alone could maintain the CR population provided that about 10% of their kinetic energy is somehow converted into CRs

- ☑ total energy --> OK
- Somehow converted"
 - which acceleration mechanism?
 - correct spectrum? (roughly E⁻²?)
 - Sorrect energy range? (at least up to the knee?)
- Can we falsify this hypothesis?
 - need for observational tests

The SN hypothesis for CR origin

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If SuperNova Remnants indeed are the sources of galactic Cosmic Rays they MUST be visible in TeV gamma rays (Drury, Aharonian, and Voelk, 1994)

This is still not a conclusive proof -> hadronic or leptonic emission?

SNRs in gamma rays

Implications of the SNR hypothesis

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such a volume is affected for a time:

$$D = 10^{28} \left(\frac{E}{10 \text{ GeV}}\right)^{0.6} \text{cm}^2/\text{s} \implies D(1 \text{ TeV}) \approx 2 \times 10^{29} \text{ cm}^2/\text{s}$$
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- -> power of CR sources 3×10^{40} erg/s
- -> sources inject spectra close to E⁻²
- -> diffusive behavior -> confinement time -> 10 Myrs
 -> impossible to identify sources
- -> R >> 100 pc, t >> 10⁴ yr (if SNRs)
- -> in the Galaxy
 - -> Galactic up to the knee and above
 - -> many sources (-> SNR?)

from gamma ray observations